#### APPENDIX A

#### Value of the Constant Brightness Difference Rule

Though the maintenance of a constant brightness difference, whatever the numeric value of the contrast, does not give the best results, in the sense of minimizing the difference of performance obtained with different contrasts, it is clear that it has certain merits. 1 the first place, it ensures that tasks presenting the same contrast but involving differen pairs of reflection factors will always present the same physical brightnesses. Thus sewir on white cloth with white thread, or on black cloth with black thread, are tasks which ma involve the same order of contrast but, with the same illumination, will present ver different brightnesses, and are known by experience to differ in difficulty. The objectiv difference between these tasks will evidently be removed by providing, for each, illum nations which differ in the ratio  $\left(\frac{\rho_1-\rho_2}{\rho_1-\rho_2}\right)$ where  $\rho_1$ ,  $\rho_2$ , are the reflection factors of the P2-- 041 white, and  $\rho_3$ ,  $\rho_4$ , those of the black materials. In other cases, where tasks differ also relative difference of reflection factors, the mean of their brightnesses will vary inverse with their reflection factor difference at illuminations which give them equal brightne This lessens the difference of performance with different contrasts that occu difference. when equal brightness difference is not secured. Referring to Figs. 8a, 8b and 8c, showir the relation between relative performance and  $(B_1 - B_2)$ , it is evident that, for the lowe value of  $\left(\frac{\rho_1-\rho_2}{\rho_1}\right)$  considered, values of  $(B_1-B_2)$ , different for each size, can be four at which relative performance has any desired value and is the same for each size.

At these values of  $(B_1 - B_2)$  relative performance may differ with higher values of  $\left(\frac{\rho_1 - \rho_1}{\rho_1}\right)$  but only in excess of the chosen value. If a high value of relative performance is chose



tasks involving any size and  $\left(\frac{\rho_1-\rho_2}{\rho_1}\right)$  value within the range of these variables considered.

The relation between size and  $(B_1 - B_2)$  for three minimum standards of relative performance is shown in Fig. 10. The equations are as follows :----

Relative performance—with any  $\left(\frac{\rho_1 - \rho_2}{\rho_1}\right)$  value—not less than—  $\begin{array}{l} \log_{10} (B_1 - B_2) = 1.99 - 0.39 \text{ S} \\ \text{or } (B_1 - B_2) = 10^{1.99 - 0.39 \text{ S}} \text{ e.f.c.} \end{array}$ (1) 80 per cent.  $\log_{10} (B_1 - B_2) = 2 \cdot 12 - 0 \cdot 37 S$ (2) 85 per cent. or  $(B_1 - B_2) = 10^{2 \cdot 12 - 0 \cdot 37} B e.f.c.$  $\begin{array}{c} \log_{10} (B_1 - B_2) = 2 \cdot 23 - 0 \cdot 33 \text{ S} \\ \text{or } (B_1 - B_2) = 10^{3 \cdot 23 - 0 \cdot 33 \text{ B}} \text{ e.f.c.} \end{array}$ (3) 90 per cent. where S=visual size in minutes of arc.

The corresponding values of relative performance for all values of  $\left(\frac{p_1-p_2}{q_1}\right)$  used in the second investigation are given in Table V.

The illumination E required to provide the necessary brightness difference is a function only of  $(\rho_1 - \rho_2)$ , hence

$$E = \frac{(B_1 - B_2) \text{ e.f.c.}}{(\rho_1 - \rho_2)} \text{ foot-candles.}$$

$$E = 10^{K} - \frac{\text{ks e.f.c.}}{(\rho_1 - \rho_2)} \text{ foot-candles.}$$

and

Between the limiting values of size and  $(\rho_1 - \rho_2)$  here considered the brightness difference values found from equation (1) correspond with illuminations which range from -=1.975 ft./cs. to  $\frac{25.41}{0.25} = 101.6$  ft./cs. 1.718 0.87

But the lowest order of contrast used, viz. :-  $\frac{\rho_1 - \rho_2}{\rho_1 - \rho_2} = 0.28$ , might be obtained with a But the lowest order of contrast used, viz.  $\rho_1$ value of  $(\rho_1 - \rho_2)$  only one-tenth of 0.25, i.e. by means of reflection factors  $\rho_1 = 0.09$ ,  $\rho_2 = 0.065$ . In this case, for a size of 1.5 mins.,  $E = \left(\frac{25 \cdot 41}{0.025}\right) = 1,016$  ft/cs. This value may exceed that required for a relative performance of 100 per cent. with many practical tasks involving this size if they are not purely visual tasks. It is only a practicable value for local artificial lighting.

R.P. not less	Size in	(R-R)	$\left(\frac{\rho_1-\rho_2}{\rho_1}\right)$				$\left(\frac{\rho_2-\rho_1}{\rho_2}\right)$
than	minutes	e.f.c.	0.97	0.56	0.39	0.28	0.25
Per cent.							
	4.5	1.718	94.5	85.0	81.0	80.0	
<b>S</b> 0	3.0	6.607	<b>95</b> ∙0	91.0	87.5	80.5	96.5
	1.5	25.41	93·5	81·0	80.0	82.0	
	4.5	2.851	95.5	89.0	86.0	85.0	
8 <del>5</del>	3.0	10.23	96-0	93.5	90.0	$85 \cdot 0$	97.7
	1.5	36.73	95.5	<b>86</b> ∙0	85.0	87.0	
	4.5	6.095	<del>9</del> 7·0	93.0	92.0	91.0	
90	3.0	19.05	98·0	96.0	93.0	90.0	98.7
	1.2	59.57	97.0	91.0	90·0	<b>93</b> .0	

TABLE V

It is evident, of course, and will be seen on inspection of Table V, that the higher the standard of relative performance, the closer will be the approximation to this standard with any contrast when it presents the given brightness difference.

Other forms of the relation between size and brightness difference can be derived from the data obtained, which will be valid for other criteria of relative performance. For example, taking the values of brightness difference at which exactly, instead of not, less than, 90 per cent. R.P. is obtained with each contrast, it is found that, for each size, the mean of these values lies close to a straight line relating the logarithm of size with the logarithm of brightness difference. The equation to this line is, log.  $BD=2-(2\cdot33\log S)$  or

 $BD = \frac{10^2}{S^{2.33}}$ , where S = visual size in minutes of arc.

		Constant			
Size		brightness difference			
4.5 mins.				3.0 e.f.c.	
3 0 mins.		••	• •	7.7 e.f.c.	
1 · 5 mins.		• •	• •	38-9 e.f.c.	

and the mean deviation of these values from the corresponding means of the observed values is  $\pm$  7.5 per cent.

#### APPENDIX B

Variation of Mean Brightness with  $\left(\frac{B_1 - B_2}{B_1}\right)$  for Unit Brightness Difference In Fig. 11 the relation is shown between  $\left(\frac{B_1 - B_2}{B_1}\right)$  and the mean of the brightnesses

involved when their difference is constant. As stared in the report, the illumination required to give constant brightness difference may be the same for different contrasts, or, alternatively, different illuminations may be required either for different contrasts or for the same contrast, according to the reflection factors involved. But whether the same or different illuminations are required, the mean of the brightnesses involved will differ as shown, being always greater for the poorer contrast but constant for the same contrast whatever the values of its reflection factors.



brightnesses required to present a constant brightness difference of 1 e.f.c.

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